

Lightweight Language Processing in Kiama

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The Kiama Library

An experiment in **embedding language processing paradigms** in the Scala programming language.

Currently includes:

packrat parsing combinators (soon to be removed)

strategy-based term rewriting

dynamically-scheduled attribute grammars

Project web site:

<http://kiama.googlecode.com>

Scala Programming Language

Odersky et al, Programming Methods Laboratory, EPFL, Switzerland

Main characteristics:

object-oriented at core with functional features

statically typed, local type inference

scalable: scripting to large system development

runs on **JVM**, interoperable with Java

Stratego

A powerful term rewriting language based on
primitive match, build, sequence and choice operators
rewrite rules built on the primitives
generic traversal operators to control application rules
an implementation by translation to C

Deployed for many program transformation problems including DSL implementation, compiler optimisation, refactoring and web application development.

<http://strategoxt.org>

Strategy

A transformation of a term that either

succeeds producing a new term, or

fails

```
abstract class Strategy extends (Term => Option[Term])
```

```
abstract class Option[A]
```

```
case class Some[A] (val a : A) extends Option[A]
```

```
case object None extends Option[Nothing]
```

Abstract Syntax

```
type Idn = String
```

```
abstract class Exp
```

```
case class Num (value : Int) extends Exp
```

```
case class Var (name : Idn) extends Exp
```

```
case class Lam (name : Idn, tipe : Type, body : Exp)  
              extends Exp
```

```
case class App (l : Exp, r : Exp) extends Exp
```

```
case class Opn (op : Op, left : Exp, right : Exp)  
              extends Exp
```

```
case class Let (name : Idn, tipe : Type, exp : Exp,  
               body : Exp) extends Exp
```

Term Examples

```
// 1 + 3
```

```
val a = Opn(AddOp, Num(1), Num(3))
```

```
// \x : Int . x + y
```

```
val b = Lam("x", IntType, Opn(AddOp, Var("x"), Var("y")))
```

```
// (\x : Int -> Int . x 5) 7
```

```
val c = App(Lam("x", FunType(IntType, IntType),  
             App(Var("x"), Num(5))),  
            Num(7))
```

Applying Strategies

A `strategy` is just a function, so it can be applied directly to a term.

```
val s : Strategy
val t : Term
s (t)
```

`rewrite` can be used to ignore failure.

```
def rewrite (s : => Strategy) (t : Term) : Term
rewrite (s) (t)
```


Basic Strategies

Always succeed with no change.

```
val id : Strategy
```

Always fail.

```
val failure : Strategy
```

Succeed if the current term is equal to t.

```
def term (t : Term) : Strategy
```

Always succeed, changing the term to t.

```
implicit def termToStrategy (t : Term) : Strategy
```

Rewrite Rules

Rewrite rules are defined by Scala partial functions.

```
def rule (f : PartialFunction[Term,Term]) : Strategy
```

A rewrite rule to evaluate arithmetic operations using Scala's case syntax for partial functions.

```
val arithop =  
  rule {  
    case Opn (op, Num (l), Num (r)) =>  
      Num (op.eval (l, r))  
  }
```

Combining Strategies

Methods on the Strategy class allow strategies to be combined.

$p <^* q$ sequence

$p <+ q$ deterministic choice

$p + q$ non-deterministic choice

$p < q + r$ guarded choice

Scala has a flexible naming convention for methods and allows the period to be omitted in a call.

$p <+ q <^* r$ is just $(p.<+(q)).<^*(r)$

Library Strategies (I)

```
def attempt (s : => Strategy) : Strategy =  
  s <+ id
```

```
def not (s : => Strategy) : Strategy =  
  s < failure + id
```

```
def repeat (s : => Strategy) : Strategy =  
  attempt (s < * repeat (s))
```

Library Strategies (2)

```
def topdown (s : => Strategy) : Strategy =  
  s <* all (topdown (s))
```

```
def oncetd (s : => Strategy) : Strategy =  
  s <+ one (oncetd (s))
```

```
def reduce (s : => Strategy) : Strategy = {  
  def x : Strategy = some (x) + s  
  repeat (x)  
}
```

Lambda Calculus with Meta-level Substitution

```
def eval (exp : Exp) : Exp =
  rewrite (evals) (exp)

val evals = reduce (beta + arithop)

val beta =
  rule {
    case App (Lam (x, _, e1), e2) =>
      substitute (x, e2, e1)
  }

def substitute (x : Idn, e2 : Exp, e1 : Exp) : Exp
```

Lambda Calculus with Explicit Substitution

```
val evals = reduce (lambda_es)
```

```
val lambda_es =  
  beta + arithop + subsNum + subsVar + subsApp +  
  subsLam + subsOpn
```

```
val beta =  
  rule {  
    case App (Lam (x, t, e1), e2) =>  
      Let (x, t, e2, e1)  
  }
```

Explicit Substitution (I)

```
val subsNum =  
  rule {  
    case Let (_, _, _, e : Num) => e  
  }
```

```
val subsVar =  
  rule {  
    case Let (x, _, e, Var (y)) if x == y => e  
    case Let (_, _, _, v : Var)           => v  
  }
```


Explicit Substitution (2)

```
val subsApp =  
  rule {  
    case Let (x, t, e, App (e1, e2)) =>  
      App (Let (x, t, e, e1), Let (x, t, e, e2))  
  }
```

```
val subsOpn =  
  rule {  
    case Let (x, t, e1, Opn (op, e2, e3)) =>  
      Opn (op, Let (x, t, e1, e2),  
          Let (x, t, e1, e3))  
  }
```

Explicit Substitution (3)

```
val subLam =  
  rule {  
    case Let (x, t1, e1, Lam (y, t2, e2))  
      if x == y =>  
        Lam (y, t2, e2)  
    case Let (x, t1, e1, Lam (y, t2, e2)) =>  
      val z = freshvar ()  
      Lam (z, t2,  
          Let (x, t1, e1,  
              Let (y, t2, Var (z), e2))))  
  }
```

Attribute Grammars

Attributes are properties of tree nodes.

Attribute equations are associated with context-free grammar productions to describe how attribute values are related to other attribute values.

A **declarative formalism** from which evaluation strategies can be automatically determined.

Static attribute scheduling: determine at generation time a tree traversal strategy that will enable all attributes to be evaluated in an *appropriate* order.

Dynamic attribute scheduling: evaluate only those attributes that are needed to compute a property of interest.

Attribute Grammars in Kiama

Joint work with [Lennart Kats](#) and [Eelco Visser](#) (TU Delft)

Attribute

partial function from tree node to attribute value
maintains an attribute-local cache

Attribute value notation

sugar for a function call
node->a is the same as a (node)

[Augmented tree structure](#) is visible to attributes via [node properties](#) including [parent](#) and [next, prev, isFirst, isLast](#) for nodes in sequences

Variable Liveness

	<i>In</i>	<i>Out</i>
<code>y = v;</code>	$\{v, w\}$	$\{v, w, y\}$
<code>z = y;</code>	$\{v, w, y\}$	$\{v, w\}$
<code>x = v;</code>	$\{v, w\}$	$\{v, w, x\}$
<code>while (x)</code>	$\{v, w, x\}$	$\{v, w, x\}$
<code>{</code>		
<code>x = w;</code>	$\{v, w\}$	$\{v, w\}$
<code>x = v;</code>	$\{v, w\}$	$\{v, w, x\}$
<code>}</code>		
<code>return x;</code>	$\{x\}$	

Liveness : tree structure

```
case class Program (body : Stm) extends Attributable
```

```
abstract class Stm extends Attributable
```

```
case class Assign (left : Var, right : Var)  
  extends Stm
```

```
case class While (cond : Var, body : Stm) extends Stm
```

```
case class If (cond : Var, tru : Stm, fls : Stm)  
  extends Stm
```

```
case class Block (stms : Stm*) extends Stm
```

```
case class Return (ret : Var) extends Stm
```

```
case class Empty () extends Stm
```

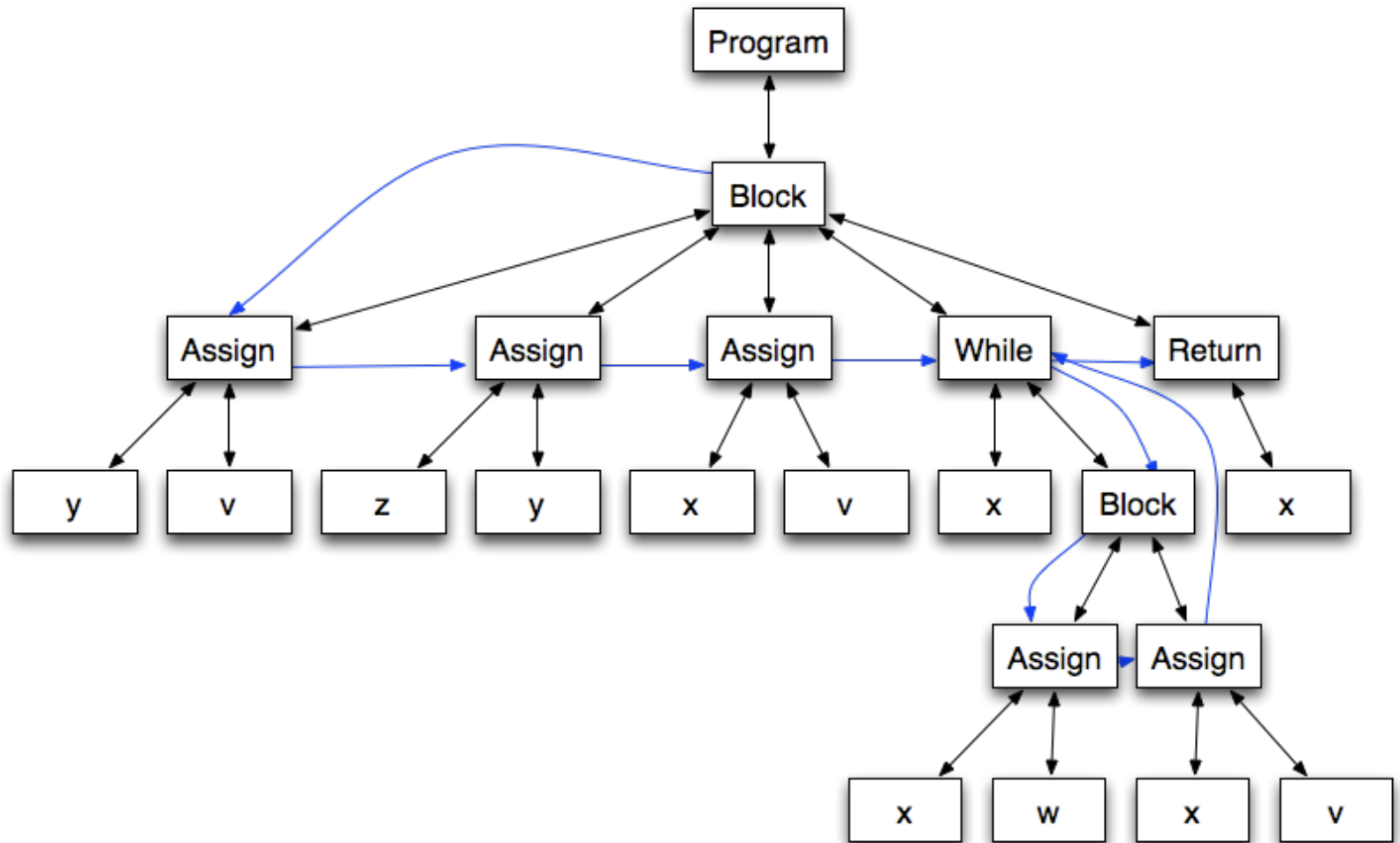
```
type Var = String
```

Liveness : control flow graph

```

y = v;
z = y;
x = v;
while (x)
{
  x = w;
  x = v;
}
return x;

```



Liveness : successors

```
val succ : Stm ==> Set[Stm] =  
  attr {  
    case If (_, s1, s2)    => Set (s1, s2)  
    case t @ While (_, s) => t->following + s  
    case Return (_)       => Set ()  
    case Block (s, _*)    => Set (s)  
    case s                => s->following  
  }
```


Liveness : following statements

```
val following : Stm ==> Set[Stm] =
  childAttr {
    case s => {
      case t @ While (_, _) =>
        Set (t)
      case b @ Block (_*) if s isLast =>
        b->following
      case Block (_*) =>
        Set (s.next)
      case _ =>
        Set ()
    }
  }
```

Liveness : variable uses and definitions

```
val uses : Stm ==> Set[Var] =  
  attr {  
    case If (v, _, _) => Set (v)  
    case While (v, _) => Set (v)  
    case Assign (_, v) => Set (v)  
    case Return (v) => Set (v)  
    case _ => Set ()  
  }
```

```
val defines : Stm ==> Set[Var] =  
  attr {  
    case Assign (v, _) => Set (v)  
    case _ => Set ()  
  }
```

Liveness : in and out dataflow equations

$$in(s) = uses(s) \cup (out(s) \setminus defines(s))$$

$$out(s) = \bigcup_{x \in succ(s)} in(x)$$

Liveness : in and out dataflow equations

$$in(s) = uses(s) \cup (out(s) \setminus defines(s))$$

$$out(s) = \bigcup_{x \in succ(s)} in(x)$$

```
val in : Stm ==> Set[Var] =  
  circular (Set[Var]()) {  
    case s => uses (s) ++ (out (s) -- defines (s))  
  }
```

```
val out : Stm ==> Set[Var] =  
  circular (Set[Var]()) {  
    case s => (s->succ) flatMap (in)  
  }
```

Summary

So far, so good...

Rewriting is around 1000 lines of code, attribution around 600 lines, including comments and a largish strategy library.

Scala has proven to be a **powerful** and **convenient** basis for this work.

Ongoing activities:

- Types for strategies, attribute compositions

- Support for more language processing paradigms

- Larger use cases, performance and scalability

- Expressibility and semantics of paradigm combinations

- Correctness of semantics of paradigm hosting and combinations

Questions?

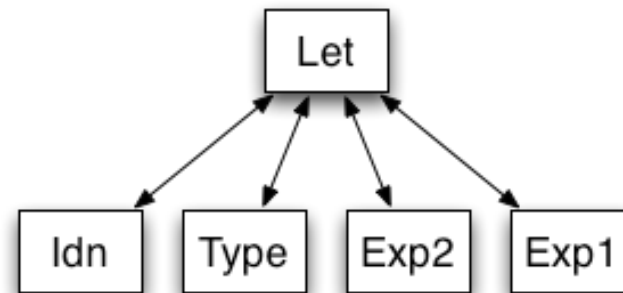
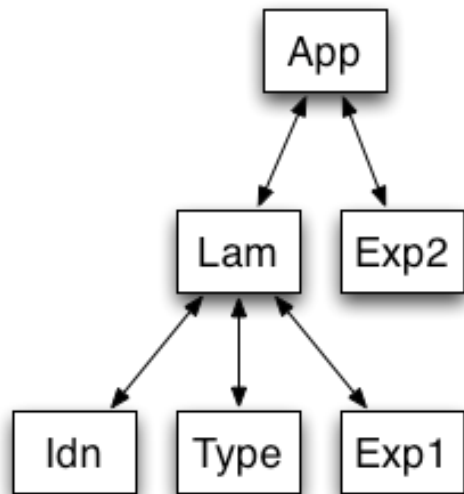
For downloads, documentation, papers, talks and mailing lists see

<http://kiama.googlecode.com>

Extras

Rewriting Rules

$(\lambda x : t . e1) e2 \quad \Rightarrow \quad \text{let } x : t = e2 \text{ in } e1$



Rewriting Rules

$(\lambda x : t . e1) e2 \quad \Rightarrow \quad \text{let } x : t = e2 \text{ in } e1$

```
val beta =  
  rule {  
    case App (Lam (x, t, e1), e2) =>  
      Let (x, t, e2, e1)  
  }
```

Part 2. Rewriting

Application area: **program transformation**

desugaring of high-level language constructs

evaluation by reduction rules

optimisation

source to target **translation**

Suited for modifying the structure of the program, in contrast to **attribution** which usually decorates a fixed structure and is more suited to **program analysis**.

Part I. Language Processing Paradigms

Formalisms and associated **implementation techniques** for analysing, translating and executing structured text.

context-free grammars
attribute grammars
term rewriting systems

Typically realised by specific **notations** and **tools** that embody the implementation techniques.

parser generators: YACC, JavaCC, SDF, ANTLR, Rats!, etc
attribute grammar systems: JastAdd, Eli/LIGA, Lrc, UU-AG, etc
term rewriting systems: Stratego, ASF+SDF, TXL, TOM, etc

Tutorial Outline

1. Kiama: motivation, aims and approach

2. Strategy-based rewriting

- evaluation schemes for lambda calculus

3. Dynamically-scheduled attribute grammars

- live variable analysis for imperative languages

Embedding Paradigms

Specialised notations and tools are **powerful** but imply **overhead** to

learn paradigms and notations

install tools and **integrate** with development processes

enable multiple tools and notations to **cooperate**

Bring language processing paradigms closer to software developers
via **libraries**

use only constructs from a "general purpose" language

what do you give up?

precision of notation? correctness guarantees? efficiency?

Abstract Syntax (2)

```
abstract class Type
```

```
case object IntType extends Type
```

```
case class FunType (arg : Type, res : Type)  
                  extends Type
```

```
abstract class Op {  
    def eval (l : Int, r : Int) : Int  
}
```

```
case object AddOp extends Op { ... }
```

```
case object SubOp extends Op { ... }
```

Lifting Functions to Strategies

Scala functions can be converted to strategies.

```
def strategyf (f : Term => Option[Term]) : Strategy
```

```
val failure : Strategy =  
  strategyf (_ => None)
```

```
val id : Strategy =  
  strategyf (t => Some (t))
```

Queries

A `query` is run for its side-effects.

```
def query[T] (f : PartialFunction[Term,T]) : Strategy
```

A query to collect variable references.

```
var vars = Set[String]()  
val varrefs = query { case Var (s) => vars += s }
```

(Nothing is said here about term traversal. More on that later.)

Generic Traversal

All of the strategies seen so far apply only to the current term.

The `all` combinator applied to a strategy `s`, constructs a strategy that applies `s` to all of the children of the current term and assembles the rewritten children under the original constructor, provided that all of the rewrites succeed.

```
def all (s : => Strategy) : Strategy
```

Similarly for some children or one child.

```
def some (s : => Strategy) : Strategy
```

```
def one (s : => Strategy) : Strategy
```

Implemented via a simple form of reflection on Scala Product types.

Name Scoping

Stratego version of strategy to look for a specific subterm:

```
issubterm =  
 ?(x,y); where (<oncetd(?x)> y)
```

Kiama version:

```
val issubterm : Strategy =  
  strategy {  
    case (x : Term, y : Term) =>  
      where (oncetd (term (x))) (y)  
  }
```

Lambda Calculus with Lazy Evaluation

```
val traverse : Strategy =  
  rule {  
    case App (e1, e2) =>  
      App (eval (e1), e2)  
    case Let (x, t, e1, e2) =>  
      Let (x, t, e1, eval (e2))  
    case Opn (op, e1, e2) =>  
      Opn (op, eval (e1), eval (e2))  
  }
```

Summary

So far, so good...

Rewriting is around 1000 lines of code, including comments, library.

Scala has proven to be a **powerful and convenient basis** for this work.

Open issues:

Support for more language processing paradigms in this style

Larger use cases, performance and scalability

Expressibility and semantics of paradigm combinations

Correctness of semantics of paradigm hosting and combinations

Further Reading

Kiama <http://kiama.googlecode.com>, lambda2 example

Stratego <http://strategoxt.org>

Domain-Specific Language Engineering. Visser, GTTSE 2007
Program Transformation with Stratego/XT. Visser, DSPG 2004
Building Interpreters with Rewriting Strategies. Dolstra and Visser,
LDTA 2002

Scala <http://www.scala-lang.org>

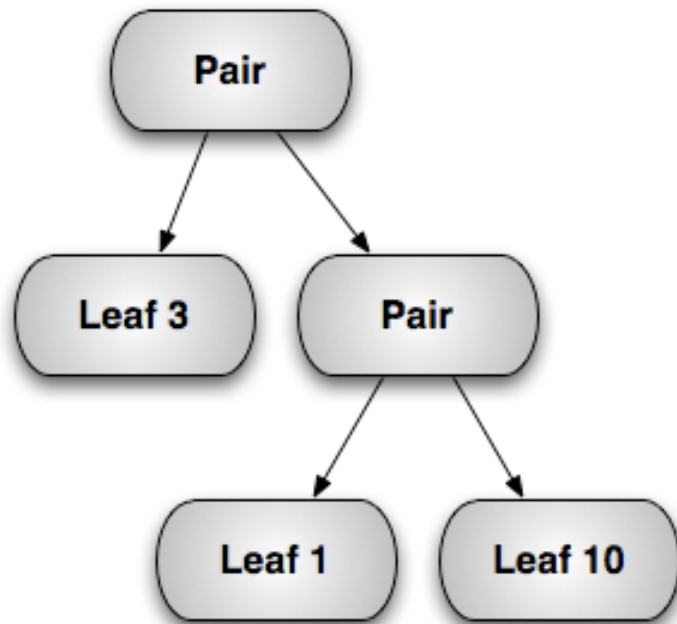
Programming in Scala, Odersky. Spoon and Venners, Artima, 2008

Lambda Calculus with Eager Evaluation

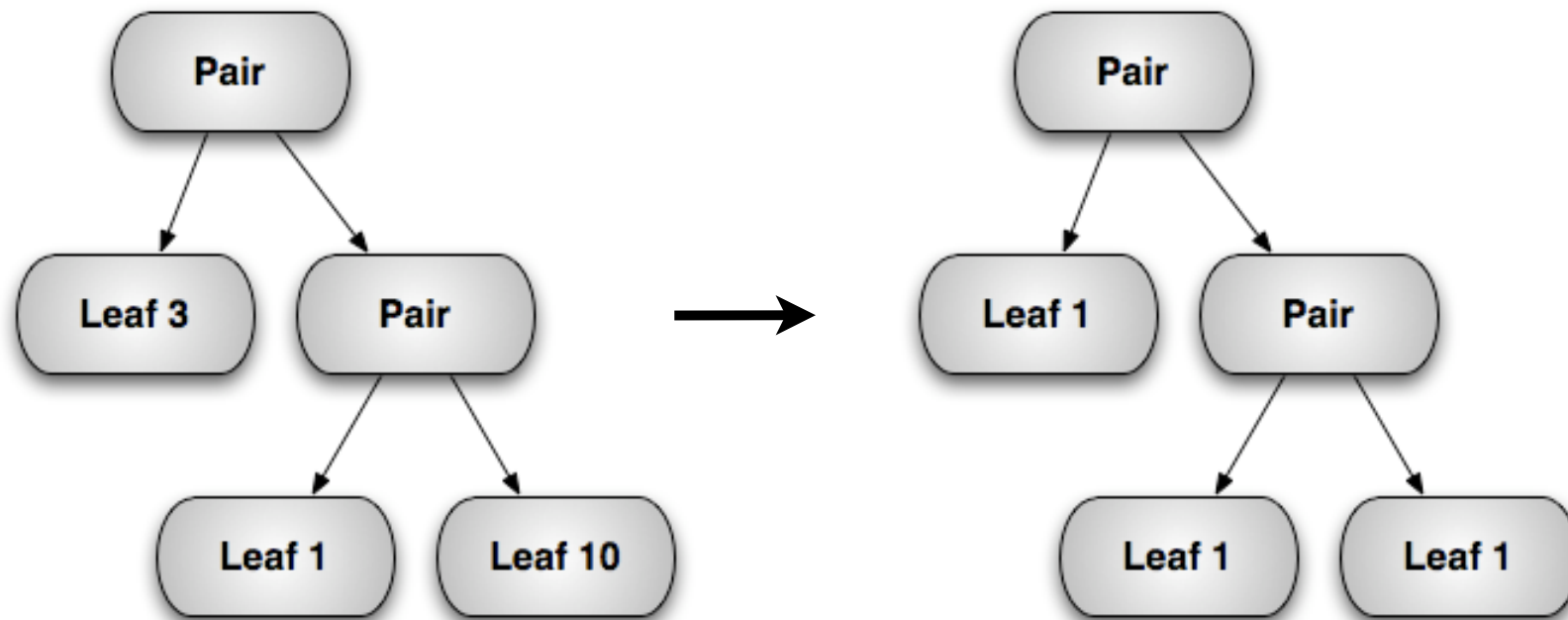
```
val evals : Strategy =
  attempt (traverse) <* attempt (lambda_es <* evals)

val traverse : Strategy =
  rule {
    case App (e1, e2) =>
      App (eval (e1), eval (e2))
    case Let (x, t, e1, e2) =>
      Let (x, t, eval (e1), eval (e2))
    case Opn (op, e1, e2) =>
      Opn (op, eval (e1), eval (e2))
  }
```

A classic example: Repmin



A classic example: Repmin



Repmin : tree structure

```
abstract class Tree extends Attributable
```

```
case class Pair (left : Tree, right : Tree)  
  extends Tree
```

```
case class Leaf (value : Int)  
  extends Tree
```

```
val t = Pair (Leaf (3), Pair (Leaf (1), Leaf (10)))
```

Repmin : local and global minima

```
val locmin : Tree ==> Int =  
  attr {  
    case Pair (l, r) => (l->locmin) min (r->locmin)  
    case Leaf (v)    => v  
  }
```

```
val globmin : Tree ==> Int =  
  attr {  
    case t if t isRoot => t->locmin  
    case t              => t.parent[Tree]->globmin  
  }
```

Repmin : result tree

```
val repmin : Tree ==> Tree =  
  attr {  
    case Pair (l, r) => Pair (l->repmin, r->repmin)  
    case t : Leaf    => Leaf (t->globmin)  
  }
```

Semantic analysis

Attribute grammars are often used for **analysis** tasks where attributes represent semantic properties of program constructs.

Example: **name and type analysis** in simply-typed lambda calculus

all **uses of names** should be associated with their binding occurrence

a **use without a binding** occurrence is an error

all expressions should have a **type**

expressions must be **used in a way that is consistent** with their type

Abstract Syntax (I)

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type Idn = String
```

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```
case class Var (name : Idn) extends Exp
```

```
case class Lam (name : Idn, tipe : Type, body : Exp)  
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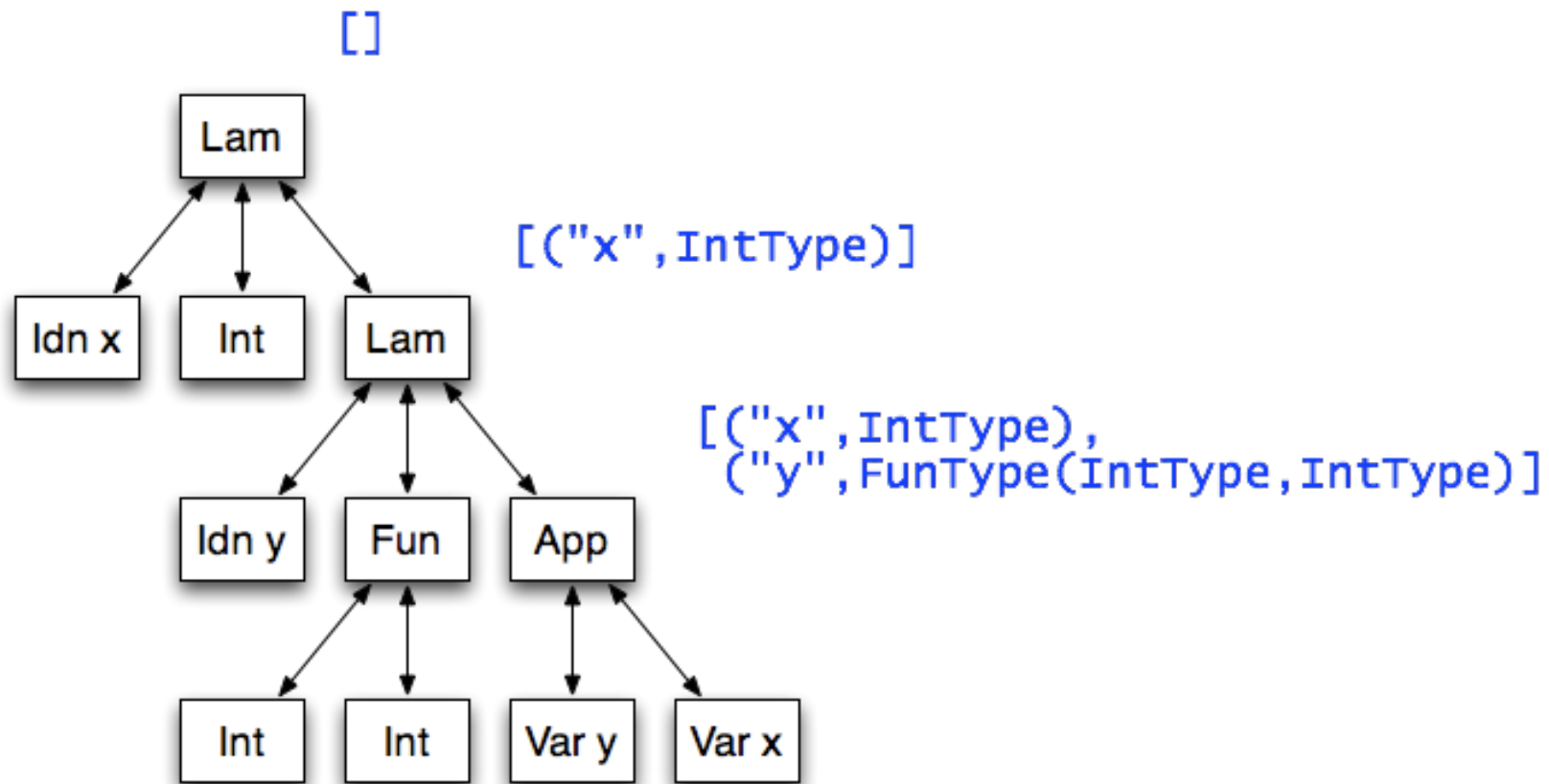
```
abstract class Op {  
    def eval (l : Int, r : Int) : Int  
}
```

```
case object AddOp extends Op { ... }
```

```
case object SubOp extends Op { ... }
```

Method I: Bound variable environment

$(\backslash x : \text{Int} . (\backslash y : \text{Int} \rightarrow \text{Int} . y\ x))$



Method 1: Bound variable environment

```
val env : Exp ==> List[(String,Type)] =
  childAttr {
    case _ => {
      case null => List ()
      case p @ Lam (x, t, _) => (x,t) :: p->env
      case p : Exp => p->env
    }
  }
```


Method 1: Defining the type of an expression (I)

```
val tipe : Exp ==> Type =
  attr {
    case Num (_)          => IntType

    case Lam (_, t, e)    => FunType (t, e->tipe)

    case Opn (op, e1, e2) =>
      if (e1->tipe != IntType)
        message (e1, "expected Int, found " +
                  (e1->tipe))
      if (e2->tipe != IntType)
        message (e2, "expected Int, found " +
                  (e2->tipe))

    IntType
```

Method 1: Defining the type of an expression (2)

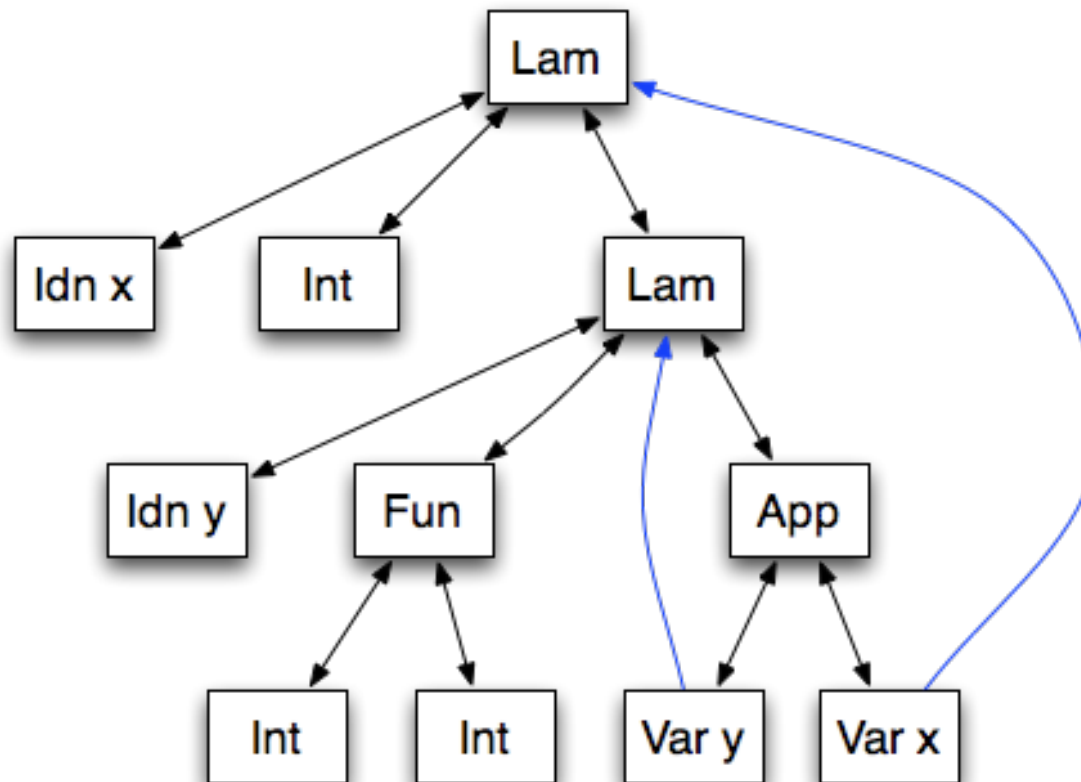
```
case App (e1, e2) =>
  e1->tipe match {
    case FunType (t1, t2) if t1 == e2->tipe =>
      t2
    case FunType (t1, t2) =>
      message (e2, "expected " + t1 +
               ", found " + (e2->tipe))
      IntType
    case _ =>
      message (e1, "non-function")
      IntType
  }
```

Method I: Defining the type of an expression (3)

```
case e @ Var (x)      =>
  (e->env).find { case (y, _) => x == y } match {
    case Some ((_, t)) => t
    case None =>
      message (e, "" + x + " unknown")
      IntType
  }
}
```

Method 2: Reference to binding node

$(\backslash x : \text{Int} . (\backslash y : \text{Int} \rightarrow \text{Int} . y x))$



Method 2: Reference to binding node

```
case e @ Var (x) =>
  (e->lookup (x)) match {
    case Some (Lam (_, t, _)) => t
    case None =>
      message (e, "" + x + " unknown")
      IntType
  }
```

Method 2: Name lookup

```
def lookup (name : Idn) : Exp ==> Option[Lam] =  
  attr {  
    case e @ Lam (x, t, _) if x == name =>  
      Some (e)  
  
    case e if e isRoot =>  
      None  
  
    case e =>  
      e.parent[Exp]->lookup (name)  
  
  }
```

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repmin, lambda2, dataflow examples

A Pure Object-Oriented Embedding of Attribute Grammars,
Sloane, Kats, Visser, LDTA 2009

Scala <http://www.scala-lang.org>

Programming in Scala, Odersky. Spoon and Venners, Artima, 2008